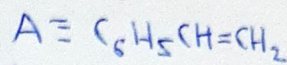


$$\underline{15-7} \quad 2 \times \text{CSTR} \quad V = 1,8 \text{ m}^3$$



$$M_A = 104,15 \text{ g/mol}$$

$$f_A = 23\%$$

A \rightarrow polymer

$$r = k C_A^{3/2}$$

$$E_A = 97,1 \text{ kJ/mol} \quad T = 373 \text{ K} \quad k_{\infty} = 3,3 \cdot 10^{11} \frac{\text{m}^{1,5}}{\text{kmol}^{0,5} \text{ h}}$$

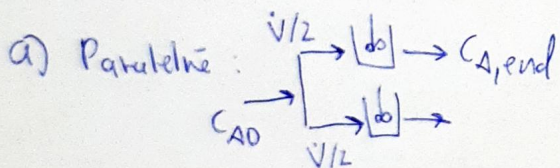
$$\rho = 850 \text{ kg/m}^3 = \text{konst}$$

$$w_{A0} = 92\% \text{ kg-A/kg-v\u00e4ts\u00f6k}$$

$$C_{A0} = \frac{w_{A0} \rho}{M_A} = \left(0,92 \frac{\text{kg-A}}{\text{kg-s\u00f6s}} \right) \left(850 \frac{\text{kg-s\u00f6s}}{\text{m}^3\text{-s\u00f6s}} \right) \cdot \left(\frac{1}{104,15} \frac{\text{kmol-A}}{\text{kg-A}} \right)$$

$$\underline{\underline{C_{A0} = 7,508 \text{ kmol/m}^3}}$$

$$C_{A, \text{end}} = (1 - 0,23) C_{A0} = \underline{\underline{5,7815 \frac{\text{kmol}}{\text{m}^3}}}$$



$$C_{A0} (\dot{V}/2) - k C_A^{3/2} V = C_A (\dot{V}/2)$$

$$k = k_{\infty} \exp(-E_A/RT) = 3,3 \cdot 10^{11} \exp(-97100 / [8,314 \cdot 373])$$

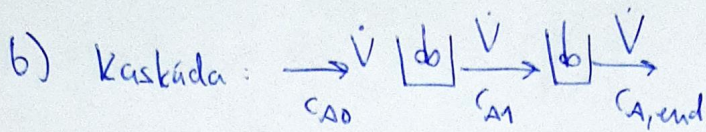
$$k = 0,008322 \text{ m}^{1,5} / \text{kmol}^{0,5} \text{ h}$$

$$7,508 (\dot{V}/2) - 0,008322 \cdot 5,7815^{3/2} \cdot 1,8 = 5,7815 \cdot (\dot{V}/2)$$

$$1,7265 (\dot{V}/2) = 0,2082$$

$$\underline{\underline{\dot{V} = 0,2412 \text{ m}^3/\text{h}}}$$

str 2 (15-7)



$$\textcircled{1} \quad C_{A0} \dot{V} - k C_{A1}^{3/2} V = C_{A1} \dot{V}$$

$$\textcircled{2} \quad C_{A1} \dot{V} - k C_{A, \text{end}}^{3/2} V = C_{A, \text{end}} \dot{V}$$

$$\textcircled{1} \quad C_{A0} - k C_{A1}^{3/2} \tau = C_{A1}$$

$$\textcircled{2} \quad C_{A1} - k C_{A, \text{end}}^{3/2} \tau = C_{A, \text{end}}$$

$$C_{A1} = 5,7815 + 0,008322 \cdot 5,7815^{3/2} \tau = 5,7815 + 0,1157 \tau$$

$$C_{A0} - k [5,7815 + 0,1157 \tau]^{3/2} \tau = 5,7815 + 0,1157 \tau$$

$$1,7265 - 0,008322 [5,7815 + 0,1157 \tau]^{3/2} \tau - 0,1157 \tau = 0$$

iterace poč. nástiel $\tau_{\text{guess}} = \frac{1,8}{0,2772} = 7,5 \text{ hod}$
 $= V/V = 1,8/0,24$

$\tau = 6,75 \text{ hod}$

$$\underline{\underline{\dot{V}}} = \frac{V}{\tau} = \frac{1,8}{6,75} = \underline{\underline{0,2667 \text{ m}^3/\text{h}}}$$

$$\text{str } 3 \quad (15-7) \quad T' = 373 + 10 = 383$$

$$c) \quad k'_2 = k_{\infty} \exp\left(-\frac{E_A}{RT'}\right) = \underline{\underline{0,01885 \text{ m}^{1,5}/\text{land}^{0,5}\text{s}}}$$

$$C_{A0} - k \left(C_{A1} \right)^{3/2} \tau = C_{A1}$$

$$C_{A1} - k' \left(C_{A,\text{rad}} \right)^{3/2} \tau = C_{A,\text{end}}$$

↙
iterace / numerické řešení viz 6)

$$\underline{\underline{\dot{V} = 0,43 \text{ m}^3/\text{h}}}$$

U15-07

```
clear
rho=850;           % kg-smes/m3-smes
wA0=0.92;         % kg-A/kg-smes
MA =104.15;       % kg-A/kmol-A
cA0=wA0*rho/MA    % kmol-A/m3-smes
```

```
cA0 = 7.5084
```

```
XA=0.23;
cAend=cA0*(1-XA)
```

```
cAend = 5.7815
```

```
k8=3.3e11; % m^1.5 / kmol^0.5 h
EA=97.1e3; % J/mol
T = 373;   % K
k=k8*exp(-EA/8.314/T)
```

```
k = 0.0083
```

```
V=1.8;      % m3
```

Paralelne

```
syms VdotA
VdotAsol=eval(solve(...
    cA0*(VdotA/2)-k*cAend^(3/2)*V==cAend*(VdotA/2))) % m3/h
```

```
VdotAsol = 0.2412
```

Kaskada

```
syms VdotB cA1
eq1 = cA0*VdotB - k*cA1^1.5*V == cA1*VdotB;
eq2 = cA1*VdotB - k*cAend^1.5*V == cAend*VdotB;
sol=vpasolve([eq1,eq2],[VdotB,cA1],[VdotAsol;cA0/2+cAend/2])
```

```
sol = struct with fields:
  VdotB: 0.26641493779044051819376134520402
  cA1: 6.5630661613041194075761438455977
```

```
VdotBsol = eval(sol.VdotB) % m3/h
```

```
VdotBsol = 0.2664
```

Kaskada, druhy T2=T+10

```
k2=k8*exp(-EA/8.314/(T+10)) % m^1.5 / kmol^0.5 h
```

```
k2 = 0.0188
```

```
syms VdotC cA2
eq3 = cA0*VdotC - k*cA2^1.5*V == cA2*VdotC;
eq4 = cA2*VdotC - k2*cAend^1.5*V == cAend*VdotC;
sol=vpasolve([eq3 eq4],[VdotC cA2],[VdotBsol;cA0/2+cAend/2])
```

```
sol = struct with fields:
  VdotC: 0.42959786106697118395460561968397
  cA2: 6.8792772364415386000812211577009
```

```
VdotCsol = eval(sol.VdotC) % m3/h
```

```
VdotCsol = 0.4296
```